Step 1: Open GeoGebra and hide the axes.
Step 2: Create a line through $A$ and $B$
Step 3: Place a point of intersection $C$ on the line $f(A B)$ on the other side of the circle from $B$.
Step 4: Place a point D anywhere on the circle.
Step 5: Create a line through $A$ and $D$
Step 6: Place a point of intersection E and the line g(AD) on the other side of the circle from D.
Step 7: Create segments $h(\mathrm{CA}), i(\mathrm{AB}), k(\mathrm{EA})$, and $j(\mathrm{AD})$.
Your construction should now look like this:


Look at the lengths of the segments $h, i, j$, and $k$ in the Algebra window at the left of your construction (in the graphics window). What do you notice? $\qquad$
Move the points $\mathrm{A}, \mathrm{B}$, or C around. What do you notice about $h, l, j$, and $k$ now?
Compare your results with the results of others near you.

Your next conjecture could be: The segments of central angles of a circle are $\qquad$ .

